

References

The following list includes selected mathematical titles on the inverse problem of the calculus of variations, in which further references can be found. Reference [1] contains relatively complete bibliography. Further references, related to special questions, are given in the text.

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